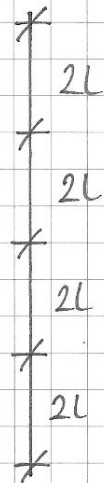
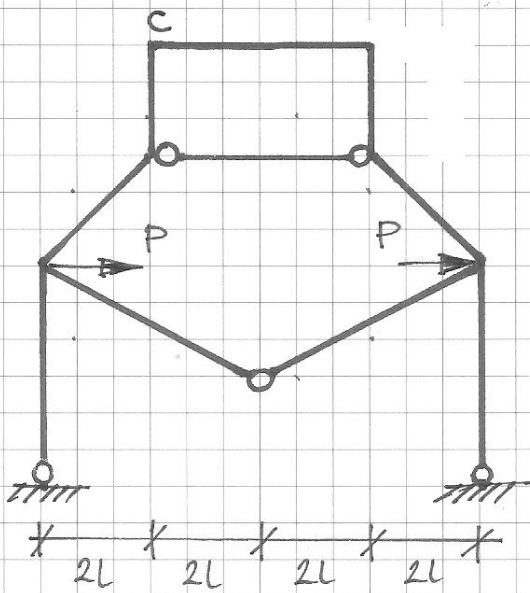


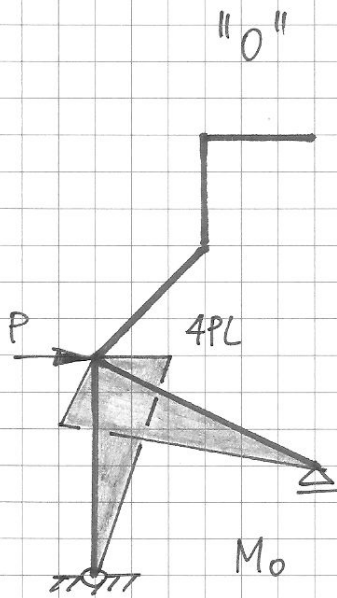
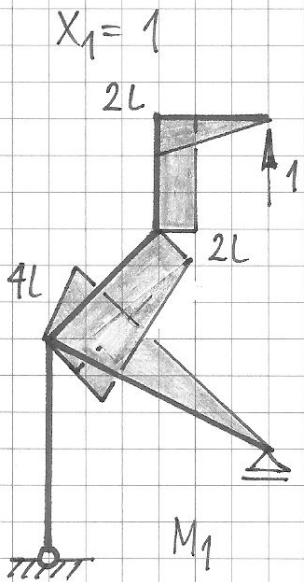
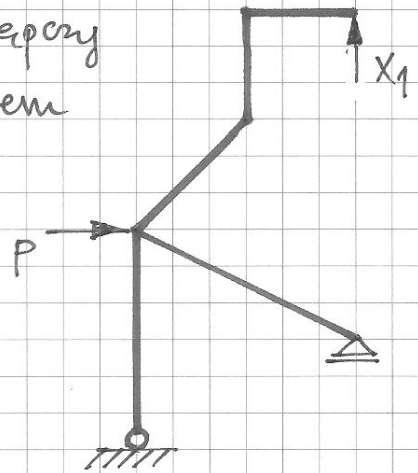
Kolokwium z MK1, 1.3a, r.ak. 2013/14

Obliczyć  $M$  i  $u_c$ .

$EJ = \text{const.}$   $EA = \infty$  ( $\epsilon_E = 0$ )



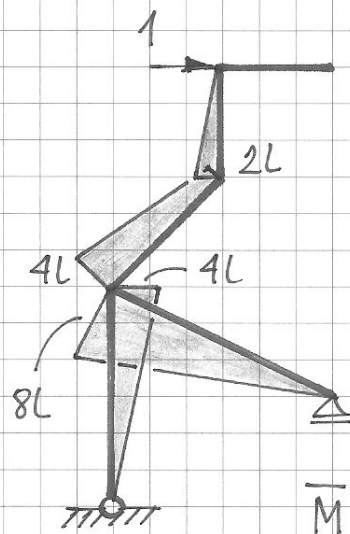
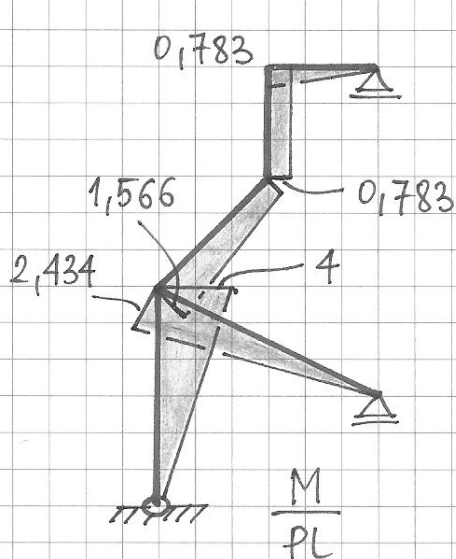
Schemat zastępczy z uwzględnieniem antysymetrii:



$$\delta_{11} = \frac{8}{3} (4 + 7\sqrt{2} + 4\sqrt{5}) \frac{L^3}{EJ}$$

$$\delta_{10} = -\frac{32\sqrt{5}}{3} \frac{PL^3}{EJ}$$

$$X_1 = 0,392 P$$



$$u_c = \int_0^L \bar{M} \varepsilon dx = \int_0^L \bar{M} \frac{M}{EJ} dx = 38,456 \frac{PL^3}{EJ}$$

Uwaga:  $\int_0^L \equiv \sum_K \int_0^{L_K}$  (suma po przętach)

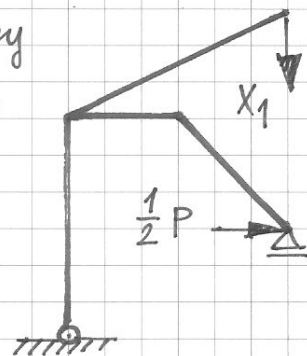
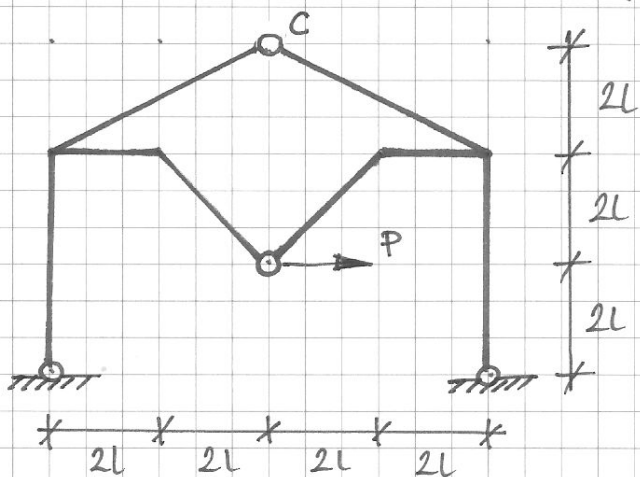
$L_K$  - długość K-tego przęta

Kolokwium z MK1, 1.3b, r. ak. 2013/14

Narysować wykres M i obliczyć  $u_c$ .

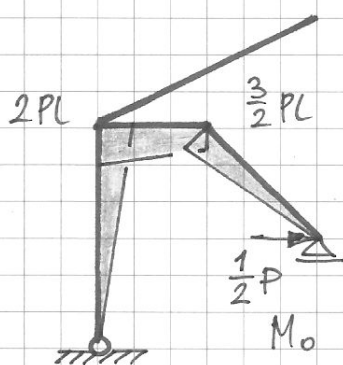
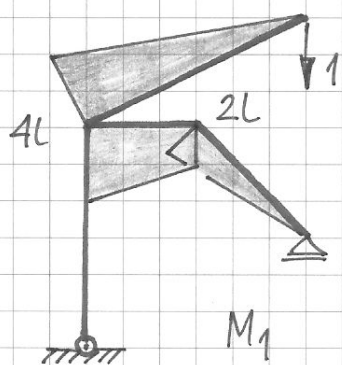
$EJ = \text{const.}$   $EA = \infty$

Schemat zastępczy z uwzględnieniem antysymetrii



$X_1 = 1$

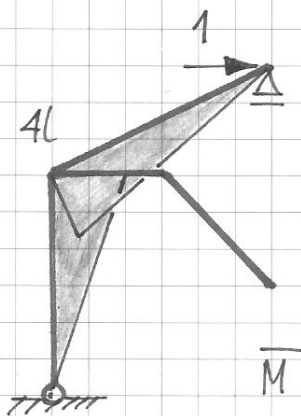
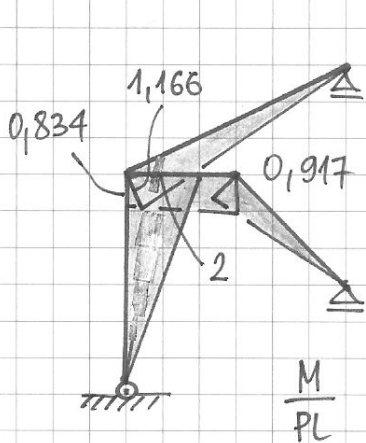
"0"



$$\delta_{11} = \frac{8}{3} (7 + \sqrt{2} + 4\sqrt{5}) \frac{L^3}{EJ}$$

$$\delta_{10} = \frac{2}{3} (16 + 3\sqrt{2}) \frac{PL^3}{EJ}$$

$$X_1 = -0,292 P$$



$$u_c = \int_0^L \bar{M} \alpha dx = \int_0^L \bar{M} \frac{M}{EJ} dx = 17,62 \frac{PL^3}{EJ}$$

Uwaga:

$$\int_0^L \equiv \sum_K \int_0^{L_K}$$

(suma po prętach)  $L_K$  - długość K-tego pręta